

# A new family of antimagic graphs

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## **A tribute to Mirka Miller**

An *antimagic labeling* of a graph  $G = (V, E)$  is a bijection from the set of edges  $E$  to the set of integers  $\{1, 2, \dots, |E|\}$  such that all vertex weights are pairwise distinct and where the weight of a vertex is the sum of all edge labels incident with that vertex. A *double broom*  $DB(p, q, m)$  is a graph with  $p + q + m + 1$  vertices and whose  $p + q + m$  edges are the edges of a path of length  $m$  to which were added at the ends points, respectively  $p$  and  $q$  edges ( $p, q \geq 2$  and  $m \geq 1$ ). The question of the antimagicness of those graphs was proposed by Mirka during the 12<sup>th</sup> GraphMasters in Plzen (2014), and she should be very pleased to know that we proved that the answer to her question is yes.

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