

# Module characteristics

#### lecturer

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#### lecture

- 18 h (01.03 - 14.04) 9 lectures, twice a week (Mondays & Wednesdays)

## laboratory exercises

14 h, schedule will be available soon (this week)
 a catch up meeting to be decided by the laboratory instructor
 laboratory instructor
 dr inż. Witold Skowroński, room: C1-309, skowron@agh.edu.pl, phone: 44-74

#### webpage:

http://galaxy.uci.agh.edu.pl/~lab515/dzienne/metrology/lecture.html

## Obtaining a course credit

- you need to pass the laboratory exercises and pass tests covering the material presented at the lectures
- the final mark is calculated as:

```
MF = 0.7*M_{Lab} + 0.3*M_{Test}
(MF > 50% is required for positive final mark)
```

Lack of the preparation will prevent from the participation in the lab.

One term to catch-up will be provided at the end of the semester.

Your activity during the exercises can increase you overall laboratory mark.

You are welcome to stop the lecture and ask questions or request additional explanation

Please use this deliberately to allow the lecturer doing his job...

#### What do we want to learn? metrology theoretical applied legal quantities and units homogenity and legality of construction and usage of measuring devices measuring devices systems of quantities law acts measuring quantities measurement scales norms necessary for human uncertainty analysis) technical conditions activity electronic metrology measurement $\rightarrow$ comparison $\rightarrow$ reference - measurement of electrical quantities **BIPM** ISO. - measurement of non International Organization for Bureau international des poids et Standarization electrical quantities using electronic IEC NMI methods International Electrotechnical National Metrology Institution - electronic measuring **GUM** PKN instruments Główny Urząd Miar Polski Komitet Normalizacyjny

# Program of our lecture

- 1) introduction: measurement, units, standards, etc.
- 2) signals and their parameters; principles of basic measurements
- 3) digital measurements
- 4) measurement of non-electrical quantities: force, mass, pressure
- 5) oscilloscope and oscilloscope measurements (two lectures)
- 6) impedance measurements: indirect and bridge methods
- 7) measurement uncertainty

Laboratory exercises are closely connected with the lectures so it is generally recommended to attend the lectures...

# Why do we need to measure? property of a phenomenon, body or substance, where the property has

#### measurement:

process of experimentally obtaining one or more quantity values that can reasonably be attributed to a quantity

quantity:

 $International\ vocabulary\ of\ metrology-Basic\ and\ general\ concepts\ and\ associated\ terms\ (VIM)$ 

#### analysis:

- theories verification
- building empirical models
- characterising materials, devices and components

#### monitoring:

- measuring the value of the quantity, eg.: temperature, voltage, power ...
- constructing/testing equipment, systems

#### control:

as a number and a reference

a magnitude that may be expressed

 measuring the value of the quantity to use it in an automatic control system (feedback or feedforward)

#### some remarks:

- measurement  $\rightarrow$  comparison with a reference, determining relations
- comparison  $\rightarrow$  direct or indirect
- one assumes that the comparison is repeatible and reproducible
- one uses proper equipment and procedures
- one knows how to use/operate the equipment
- the measurement is done under proper conditions
- one is aware of measurement uncertainty
- one knows how to interpret the result

a measurement is much more than just reading some number from an instrument display

# Measurement result

Q = |Q|[Q]

Q - quantity value

|Q| - numerical value

[Q] - unit

# International System of Units - SI (1960)

base units

quantity	symbol	quantity unit	quantity symbol
length	l, h, r, x	metre	m
mass	m	kilogram	kg
time	t	second	S
electric current	I,i	amper	Α
temperature	Т	kelvin	K
amount of substance	n	mole	mol
luminous intensity	I,	candela	cd

derived units

$$[Q] = [kA^{\alpha}B^{x}C^{\gamma}]$$

$$[Q] = [kA^{\alpha}B^{\times}C^{\gamma}] \qquad \text{eg: } [N] = [kg \cdot m \cdot s^{-2}]$$

# Notation of measurement results

SI prefixes

			_		_
value	name	symbol	value	name	symbol
10 <sup>1</sup>	deca	da	10-1	deci	d
10 <sup>2</sup>	hecto	h	10-2	centi	С
10 <sup>3</sup>	kilo	k	10-3	mili	m
106	mega	M	10-6	micro	μ
10 <sup>9</sup> giga G		10-9	nano	n	
1012	tera	Т	10-12	pico	р
10 <sup>15</sup>	peta	Р	10-15	femto	f
10 <sup>18</sup>	exa	Е	10-18	atto	α
10 <sup>21</sup>	zetta	Z	10-21	zepto	Z
1024	jotta	У	10-24	yokto	У

## exponential (scientific) notation

 $X = \pm M \cdot 10^{E}$ ;  $M \in [1,10)$ ;  $E \in \mathbb{Z}$ 

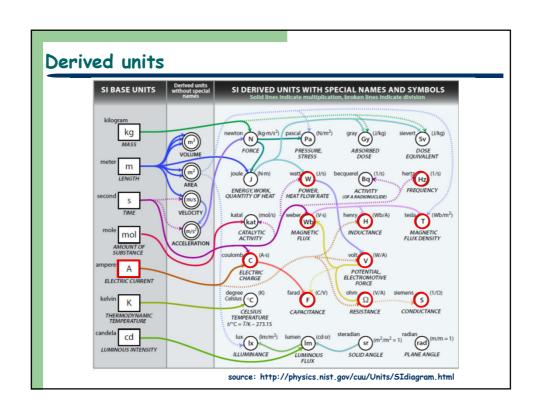
eg: Is 10 k $\Omega$  equal to 10 000  $\Omega$  ???

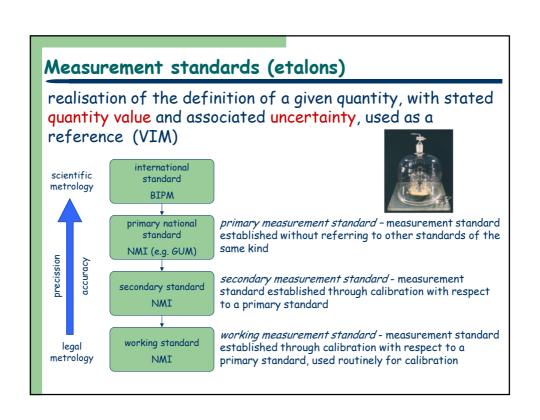
 $\pm$  1%  $\Rightarrow$  U = 100  $\Omega$   $\Rightarrow$  1.00  $\cdot 10^4$   $\Omega$ 

significant

figures

Notation "R = 10 k $\Omega$ " may suggest that 9.5 k $\Omega$  < R < 10.5 k $\Omega$ , so uncertainty of, say, 5%.







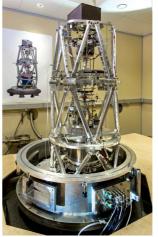
# 20 May 2019 - redefinition of base SI units

#### Kilogram:

1 kilogram [kg] is a mass at which the Plancka constant equals exactly to  $6.62607015\cdot 10^{-34}$  J·s (kg·m²·s¹, metr [m] and second [s] are defined by speed of light and hyperfine transition is  $Cs^{133}$  atoms)

The "old" kilogram weight is changing into the Kibble balance (formerly known as a watt balance)





source: NPL, GB

source: BIPM

https://www.kwantowo.pl/2018/11/16/nowy-kilogram-lepszy-bo-kwantowy/https://www.bipm.org/en/bipm/mass/watt-balance/https://www.bipm.org/utils/common/pdf/.../Michael\_Stock.pdf https://en.wikipedia.org/wiki/2019\_redefinition\_of\_SI\_base\_units

# Units - definition, realisation, uncertainty

#### time:

1 second [s] is the duration of 9 192 631 770 periods of radiation corresponding to the transition between two hyperfine levels of the ground state of  $Cs^{133}$  atom



commercial cesium reference standard 5071A (Symmetricom, formerly HP) uncertainty  $5\times10^{-13}$  -  $1\times10^{-12}$ 



caesium clocks at PTB Physikalish-Technische Bundesanstalt Braunschweig , Germany uncertainty 1.2×10<sup>-14</sup> 1×10<sup>-9</sup> s/day 1 s/2.7×10<sup>6</sup> years

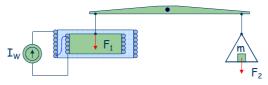
cesium fountain 1x10<sup>-15</sup>

# Units - definition, realisation, uncertainty

#### electric current:

1 amper [A] is the electric current, that if maintained in two stright and paralel conductors with infinite length... separated by 1 meter in vacuum would produce between these conductors a force of  $2\times10^{-7}$  N per each meter of length (technically impossible....)

#### Rayleigh current balance



$$F_{1} = K \cdot I_{W}^{2}; F_{2} = m \cdot g$$

$$F_{1} = F_{2}$$

$$\downarrow$$

$$I_{W} = \sqrt{\frac{m \cdot g}{\nu}}$$

uncertainty 6ppm ightarrow 6x10-6

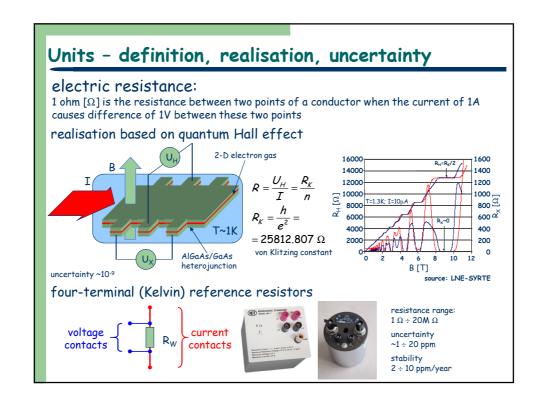
#### realisation based on Ohm's law

$$\begin{array}{c|c} \text{1ppm} \rightarrow 1 \times 10^{-6} \\ \hline & I_W \\ \hline & \\ E_W \end{array} \qquad \begin{array}{c} I_W \\ \hline & \\ R_W \end{array} \qquad I_W = U_W/R_W \end{array}$$

#### substantial change: 20 May 2019

1 amper [A] is the electric current at which the elementary charge equals exactly to 1.602176634  $\cdot 10^{-19}$  C (A·s, second is defined by the hyperfine transition in cesium atoms  $Cs^{133}$ )

# 

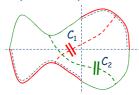


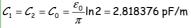
# Units - definition, realisation, uncertainty

### electric capacity:

 $^{\prime}$  1 farad [F] is a capacity of a capacitor between the plates of which a potential difference of 1 V appears when charged with a charge of 1 C.

#### Thompson-Lampard calculable capacitor





uncertainty ~0.02 ppm



#### working capacitance standards

<10pF - air

<1μF - mica >1μF - polipropylene uncertainty - 0.02 ÷ 2%



source: IET-LABS

# Units outsite the SI

units for expressing a ratio

neper [Np]
$$L = \ln \frac{q_1}{q_2} [Np]$$

$$L = \log \frac{P_1}{P_2} [B]$$
  $L = 10 \cdot \log \frac{P_1}{P_2} [dB]$  for power

 $20 \cdot \log \frac{X_1}{X_2} [dB]$  for other quantities eg. I, U, R etc.

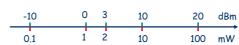
$$L_{dB} = 10 \cdot \log(e^{L_{Np}}) = L_{Np} \cdot 10 \cdot \log e \cong 4.34 \cdot L_{Np}$$

$$\mathcal{L}_{dB} = 10 \cdot \log(e^{\mathcal{L}_{Np}}) = \mathcal{L}_{Np} \cdot 10 \cdot \log e \cong 4.34 \cdot \mathcal{L}_{Np}$$

$$\mathcal{L}_{Np} = \ln 10^{\mathcal{L}_{dB}/10} = \mathcal{L}_{dB} \cdot \frac{\ln 10}{10} \cong 0.23 \cdot \mathcal{L}_{dB}$$

logarithmic unit of power - dBm

$$P_{dBm} = 10 \cdot \log \frac{P}{1 \text{ mW}}$$



other logarithmic units (used, eg in acoustics)

dBV - referenced to 1 V

dBu - referenced to 0.7746 V

# Some remarks about dBm-s

dB and dBm addition - BE CAREFUL!

result in general will depend on the types of added signals and their phase relations

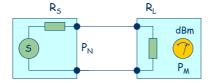
converting to voltage/current

$$U_{RMS} = \sqrt{1[\text{mW}] \cdot R_{L} \cdot 10^{\rho_{dBm}/10}} = \sqrt{R_{L}[\text{k}\Omega] \cdot 10^{\rho_{dBm}/10}}$$

 $\text{R}_\text{L}\text{= }50~\Omega\text{:}~~0~\text{dBm} \Rightarrow \text{U}_\text{RMS}\text{= }223\text{,}6~\text{mV}$ 

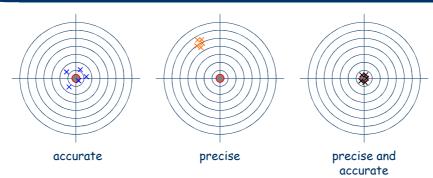
 $\text{R}_\text{L}$  = 600  $\Omega\text{: 0 dBm} \Rightarrow \text{U}_\text{RMS}$  = 774,6 mV

source/load impedance mismatch



$$\begin{split} &\text{if } R_S \neq R_L \Rightarrow P_M \neq P_N; \ P_M = P_N + K \\ &\text{correction } \mathcal{K} = 10 \cdot log \frac{4 R_S R_L}{(R_S + R_L)^2} \text{ [dB]} \\ &R_S = 50 \ \Omega; \ R_L = 600 \ \Omega \Rightarrow -5.47 \ dB \\ &R_S = 600 \ \Omega; \ R_L = 50 \ \Omega \Rightarrow -5.47 \ dB \end{split}$$

# Accuracy, precision



measurement accuracy - closeness of agreement between measured quantity value and true quantity value

measurement precision – closeness af agreement between measured quantity values obtained by replicate measurements of the same quantity

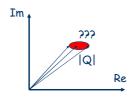
measurement trueness - closeness of agreement between the average of an infinite number of replicate measured quantity values and a reference quantity value

# Quantity value, measurement result Q = |Q|[Q] Q - quantity value

|Q| - numerical value

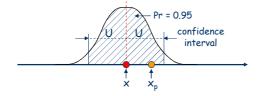
[Q] - unit





#### measurement uncertainty (measure of accuracy)

an interval around a measured result, in which a true value of measured quantity may be found with significant (eg. 95%) probability



$$\begin{split} & \text{Pr}\{\boldsymbol{x}_{p} \in (\text{-U+x,x+U})\} = 0.95 \\ & \text{Pr}\{\boldsymbol{x}_{p} \notin (\text{-U+x,x+U})\} = 0.05 \\ & \text{result of measurement:} \end{split}$$

 $\mathbf{x}\pm\mathbf{U}$ 

# Measurement methods and results (VIM)

direct method

value of a quantity is obtained without the need of performing any calculations, eg measuring a voltage using a voltmeter;

#### indirect method

value of a quantity is obtained from direct measurement of other quantities, related to the measured quantity through known mathematical equation and performing necessary calculations, eg: determining the resistance using voltmeter and ammeter or determining the circumference of a cirle using its diameter;

#### Simplified procedure:

 $A = \pi \cdot d$ 

ππππ.....x ddd
rrrrr......
rrrr.......
+rrrr.......

addition/subtraction:

round the result to the same number of decimal places as the least accurate number

multiplication/division

round the result to the same number of significant figures as the least accurate number

rising to a power/finding the root or logarithm round the result to the same number of digits as is in the number undergoing the operation

These problems will be considered in more detail during the lecture on the uncertainty of the measurement  $% \left( 1\right) =\left\{ 1\right\} \left$ 

## Summary

- measurement ightarrow comparison with the standard and determining relationship
- comparison  $\rightarrow$  direct or indirect
- one assumes that such comparison is repeatable and reproducible
- one uses adequate measurement eauipment and procedures
- one knows how to use them properly
- the measurement is performed under proper conditions
- we are aware about possible errors and uncertainty of measurement
- one knows how to interpret the result of a measurement

#### Gross Errors

deffective instruments (measurement probes, cables etc) the range or type of a measurement is set improperly, eg A,  $\Omega$ , etc... hand-held multimeters

## Recommended literature and other sources

- S. Tumański: Principles of Electrical Measurements, Taylor & Francis, 2005
- R.A. Witte (Agilent Technologies): Electronic Test Instruments: Analog and Digital Measurements, Prentice Hall, 2002
- SI Units Brochure:
  - http://www.bipm.org/utils/common/pdf/si\_brochure\_8\_en.pdf
- The NIST Reference on Constants, Units and Uncertainty http://physics.nist.gov/cuu/Units/index.html
- International Vocabulary of Metrology (VIM):
  - http://www.bipm.org/utils/common/documents/jcqm/JCGM\_200\_2012.pdf
- R.A. Witte (Agilent Technologies): Spectrum & Network Measurements, Prentice Hall, 1993
- A.K. Ghosh: Introduction to Measurements and Instrumentation, PHI Learning, 2012
- R.B.Northrop: Introduction to Instrumentation and Measurements, Taylor & Francis, 2005

#### (some books in Polish)

- S. Tumański: Technika Pomiarowa, WNT, 2013
- A. Zięba: Analiza danych w naukach ścisłych i technice, PWN, 2013
- J. Dusza, G. Gortat, A. Leśniewski: Podstawy miernictwa, Oficyna Wydawnicza Politechniki Warszawskiej, 2007
- A. Kamieniecki: Współczesny oscyloskop, btc, 2009
- A. Zatorski, R. Sroka: Podstawy Metrologii Elektrycznej, Wydawnictwa AGH, 2011
- J. Arendarski: Niepweność pomiarów, Oficyna Wydawnicza Politechniki Warszawskiej, 2003
- Niepweność pomiarów w teorii i praktyce praca zbiorowa, GUM http://www.gum.gov.pl/pl/komunikacja/publikacje/niepewnosc-pomiarow-w-teorii-i-praktyce/spis-tresci/